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METHODS OF PROBLEM SOLVING IN THEORETICAL **MECHANICS COURSES**

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ANNOTATION: Presented in the article The problem is presented in order to prevent errors that may occur during course work, and there is a sequence in it. First, a graph is drawn based on the scale of the problem condition, and then the following calculation is made according to the books.

KEY WORDS: Shveller, assortment, moment of inertia, static moment, Principal axes, moment of resistance, radius of inertia, Plane shapes, Center of gravity, Moment of inertia of an arbitrary plane shape.

RESULTS

Determination of static moments of the general surface in relation to the x-axis, calculation of the coordinates of the general center of gravity.

DISCUSSION

In the article, for the cross-section of the given flat shapes, the channelizers were selected, and based on this, the values were obtained according to the assortment, the ratio of channelizers to the auxiliary axes passed through the centers of gravity, and the guidelines for calculating the static, centrifugal inertia and central head moments of inertia with respect to the axes of the general surface are shown.

CONCLUSION

At the end of the issue, the results were checked. Showing the method of solving the problem serves to prevent the mistakes that the students may make in graphic work.

Given flat forms section for channel No. 12 and on the basis of the channel No. 14 assortment according to values taken from table-1 issue let's solve

Table-1

No	Dimensions, mm				Cut	J_x	W_x	i_z	S.,	J _v	W,	i.,	z _o
	h	b	d	t	surface, sm ²	ce, sm ⁴	sm ³	sm	sm ³	sm ⁴	sm ³	sm	cm
12	120	52	4.8	7.8	13.3	304	50.6	4.78	29.6	31.2	8.52	1.53	1.54
14	140	58	4.9	8.1	15.6	491	70.2	5.60	40.8	45.4	11.0	1.70	1.67

Rolled steel channel picture-1



Channels (GOST 8240-72)

h-the height of the beam

b- the width of the hammer

d-hammer wall thickness

The middle thickness of the t-shelf

I-moment of inertia

W-moment of resistance

i-radius of inertia;

S-static moment

Solution: 1). First of all, we draw the chevellers based on the scale and place auxiliary axes xu on them (Fig. 1). The general surface is xu we determine the static moments relative to the axes. Then, finding the center of gravity from the symmetry centers of the shapes, by calculating the coordinates of the common center of gravity, we mark the point S on the drawing. X_C, Y_C.

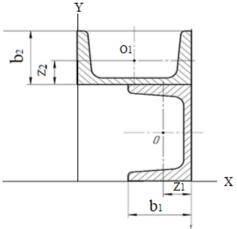


Figure 1

1) We find the common surface. $\sum F = F_1^{\text{IIIB}} + F_2^{\text{IIIB}} = 13.6 + 15.6 = 28.9 \text{sm}^2$ total surface area. Static moments about the X axis. When finding the static moments of flat shapes, the distance from the surface of the flat shape to the coordinate axis is understood (Fig. 2). Static moment about the X axis Static moment

 $S_{\rm x}=\int y dA$.about the U axis

$$\begin{split} S_y &= \int x dA. \\ S_X^{\text{\tiny IIB}\, 1} &= F_1^{\text{\tiny IIB}\, 1} \cdot \frac{h_1}{2} = 13,6 \cdot \frac{120}{2} = 816 \text{ sm}^3 \\ S_X^{\text{\tiny IIB}\, 2} &= F_2^{\text{\tiny IIB}\, 1} \cdot (h_1 + z_2) = 15,6 \cdot (120 + 1,67) = 1898,052 \text{ sm}^3 \end{split}$$

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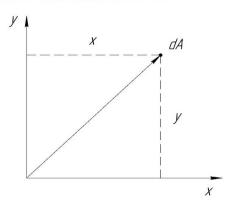


Figure 2

X The total static moment about the axis is equal to:

$$S_{X} = S_{X}^{IIIB1} + S_{X}^{IIIB2} = 816 + 1898,052 = 2714,052 \text{ sm}^{3}$$

U are static moments about the axis

$$S_{y}^{\text{\tiny IIB1}} = F_{1}^{\text{\tiny IIB1}} \cdot \frac{h_{1}}{2} = 13,6 \cdot 60 = 73,6 \text{ sm}^{3}$$

$$S_{y}^{\text{\tiny IIB2}} = F_{2}^{\text{\tiny IIB2}} \cdot (h_{1} + Z_{2}) = 15,6 \cdot (120 + 1,67) = 1898,052 \text{ sm}^{3}$$

UIF = 8.2 | SJIF = 5.955

Y The total static moment about the axis is equal to:

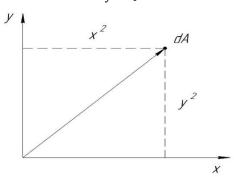
$$S_v = S_v^{\text{IIB}1} + S_v^{\text{IIB}2} = 73.6 + 1898,052 = 1971,652 \text{sm}^3$$

2) We find the center of gravity relative to the auxiliary XU axes passed through the centers of gravity of the sleepers: $S_X = Y_C(F_1^{\text{\tiny IIIB}} + F_2^{\text{\tiny IIIB}})$, from here Y_C the coordinate of the center of gravity for the section of general flat shapes $Y_C = \frac{S_X}{(F_1^{\text{IIIB}} + F_2^{\text{IIIB}})} = \frac{2714,052}{13,6+15,6} = 92,9469 \text{sm}$

 $S_y = X_C (F_1^{{\scriptscriptstyle IIIB}} + F_2^{{\scriptscriptstyle IIIB}}) where is X_C the coordinate of the center of gravity$

$$X_C = \frac{S_y}{(F_1^{\text{\tiny IIIB}} + F_2^{\text{\tiny IIIB}})} = \frac{1971,652}{13,6+15,6} = 67,5223 \text{ sm}$$

3) $X_C and \ Y_C calculate the moments of inertia relative to the axes (Fig. 3) . <math display="inline">J_x = \int y^2 dA$ and relative to the Y axis $J_v = \int x^2 dA$



$$I_{x} = I_{x1}^{\text{IIIB}} + \left(\frac{h_{1}}{2}\right)^{2} \cdot F_{1}^{\text{IIIB}} + I_{x2}^{\text{IIIB}} + (h_{1} + Z_{2})^{2} \cdot F_{2}^{\text{IIIB}} = 304 + (60)^{2} \cdot 13,3 + 491 + (120 + 1,67)^{2} \cdot 15,6 = 280690,98684 \text{ sm}^{4}$$

$$I_{y} = I_{y}^{\text{IIB}1} + (h_{2} - Z_{1})^{2} \cdot F_{1}^{\text{IIB}} + I_{y}^{\text{IIB}2} + \left(\frac{h_{2}}{2}\right)^{2} \cdot F_{2}^{\text{IIB}}$$

$$= 31,2 + (140 - 1,54)^{2} \cdot 13,3 + 491 + (70)^{2} \cdot 15,6 = 331938,78228 \text{ sm}^{4}$$

Here: h_1 , b_2 , b_1 , h_2 s are taken from table-1 for channels.

4) Centrifugal moments of inertia. Centripetal moment of inertia of a flat shape is obtained in the form of mutual values of XY coordinate axes and surface product. This is reflected below.

$$\begin{split} I_{xy} &= I_{x_1y_1} + F_1^{\text{\tiny IIB}} \cdot a_1 \cdot a_3 + I_{x_1y_1} + F_2^{\text{\tiny IIB}} \cdot a_2 \cdot a_4 \\ &= 13.3 \cdot \frac{h_1}{2} \cdot (h_2 - Z_1) + 15.6 \cdot (h_1 + Z_2) \cdot (\frac{h_2}{2}) = 243354,72 \text{ sm}^4 \end{split}$$

Here: To simplify the calculation $(h_2 - Z_1) = a_3$; $\frac{h_1}{2} = a_1$;

$$(h_1 + Z_2) = a_2; \frac{h_2}{2} = a_4$$

confusion in the calculation won't be. a_1 and a_2 (Fig. 4), a_3 and a_4 (Fig. 5)

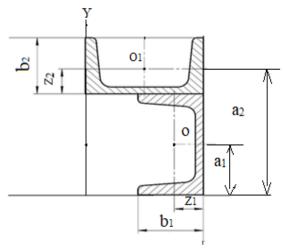


Figure 4

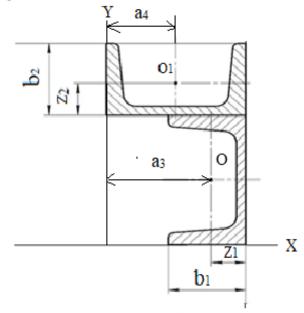


Figure 5





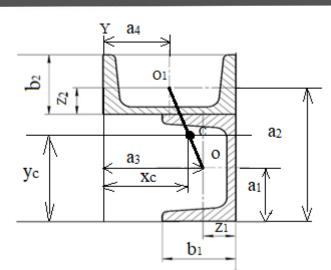


Figure 6.

In Fig. 6, we mark the point S where the common center of gravity Xc and Yc coordinate dimensions are united.

5) We determine the position of the central main axes of inertia and ∝ бурчакниtransfer the central main axes y and B (Fig. 7). we set the angle X_C from the axis \propto in the anti-clockwise direction. Because

 $\propto = -\text{arctg4,7}$ the value is negative.

tg 2
$$\propto = \frac{2I_{xy}}{I_x - I_y} = \frac{2 \cdot 243354,72}{280690,98684 - 331938,78228} = -9,49717808973521;$$

 $tg\ 2 \propto =\ 9,49717808973521$ from here $\propto = -arctg4,7$

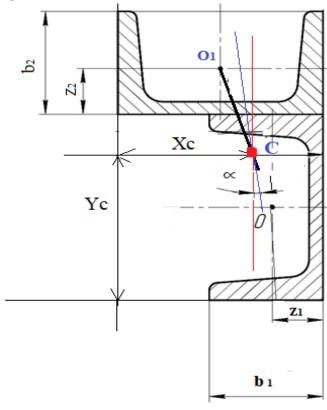


Figure 7

6) We calculate the moments of inertia of the central head:



 $I_{min}^{max}=rac{I_x+I_y}{2}\pmrac{1}{2}\sqrt{(I_x-I_y)^2+4I_{xy}}$ We take the values from the above calculation

results and replace them in the formula . The following expression is derived

$$I_{\min}^{\max} = \frac{^{280690,98684+331938,78228}}{^2} \pm \frac{1}{^2} \sqrt{(-51247,79544)^2 + 4 \cdot 243354,72}$$

We find the final result by simplifying the expression.

$$I_{\min}^{\max} = 306314,88456 \pm \frac{1}{2} \cdot 51257,2917 \text{ sm}^4$$

 $I_{min}^{max} = 306314,88456 \pm 25628,64585 \text{ sm}^4$

 $I_{\text{max}} = 306314,88456 + 25628,64585 = 331943,53041;$ sm⁴

 $I_{min} = 306314,88456 - 25628,64585 = 280686,23871 \text{sm}^4$

From $hereI_{max} = 331943,53041 \text{ cm}^4$; $I_{min} = 280686,23871 \text{ sm}^4$

General graphic view (Fig. 7):

7) Check: $I_x + I_y = I_{max} + I_{min}$ We put the above values into the equation. On the left side of the equation $I_x + I_y = 612629,76912$ sm⁴; and on the right side of Eq $I_{max} + I_{min} = 612629,76912$ cm⁴; In general, we compare the left and right sides of the equation: 612629,76912 = 612629,76912 So the issue is resolved correctly.

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